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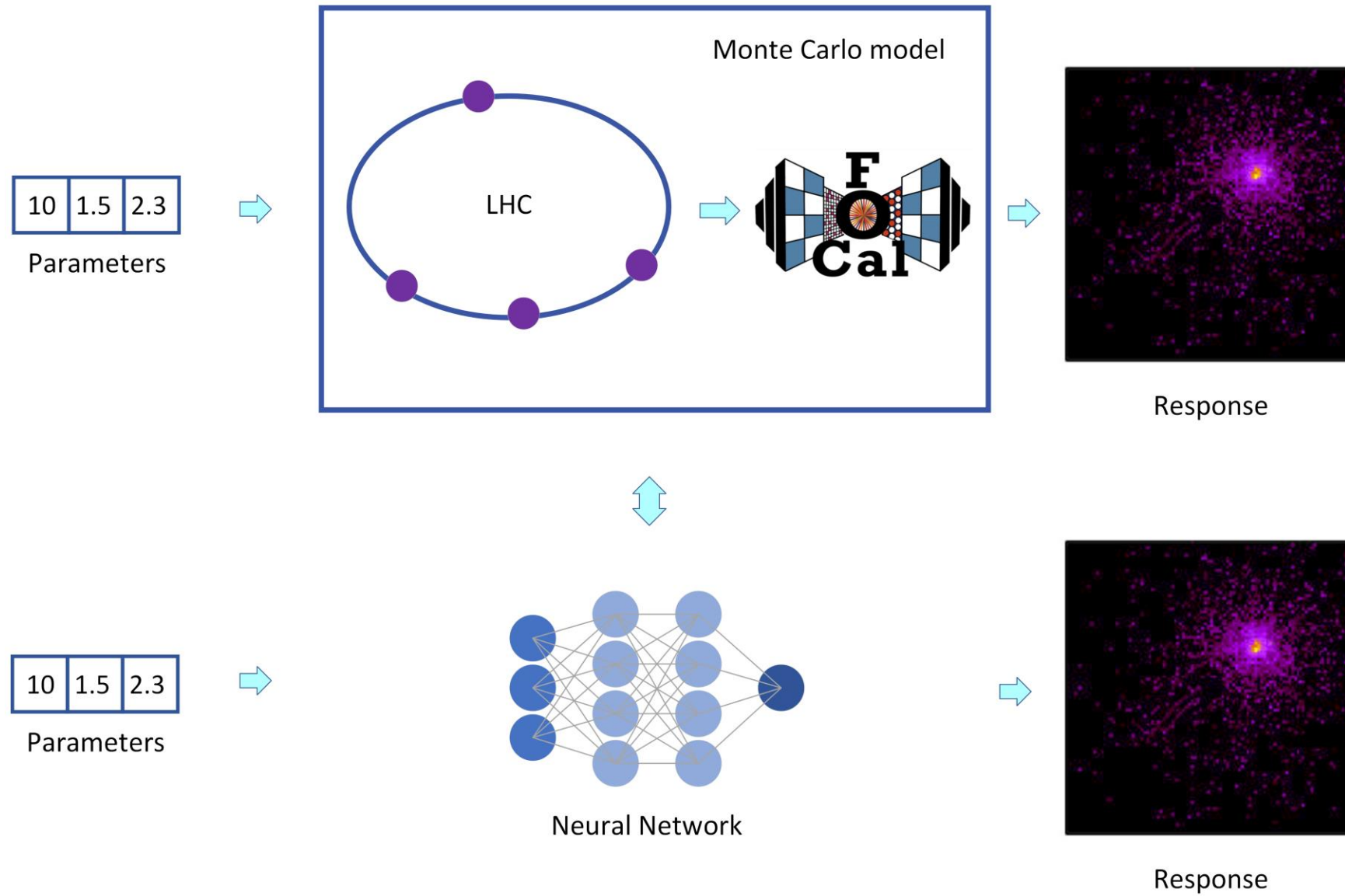


# Towards Fast, Machine-Learning-Based Calorimeter Simulations in the ALICE Experiment at CERN

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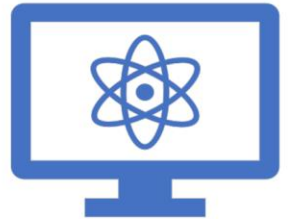


# What do we do?

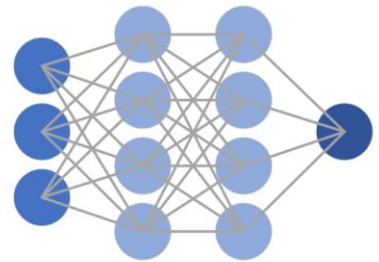
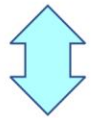


# Fast simulations

- Using a surrogate of the whole mathematical model or its part.
  - The most computationally-intensive part → a faster surrogate.
- Fast simulations at CERN.
  - Existing approaches at different experiments.
  - DNN surrogates.
    - VAEs, GANs, NFs, Diffusion-based, Flow Matching.
- There's still a gap to fill!
  - Research done mostly on other experiments' calorimeters.
  - Physics-based machine learning.



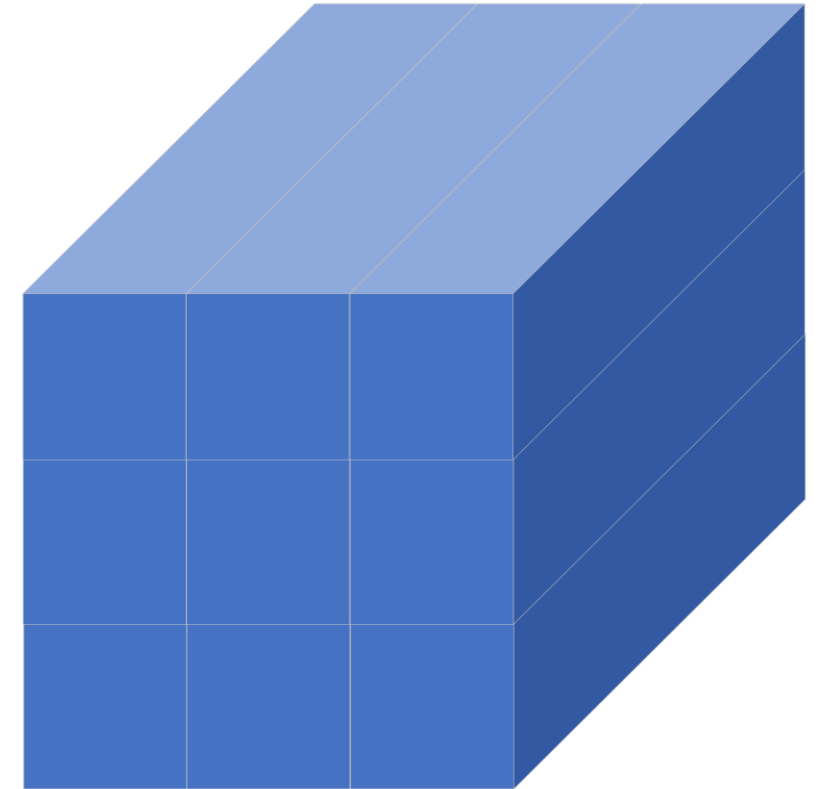
Monte Carlo



Neural Network

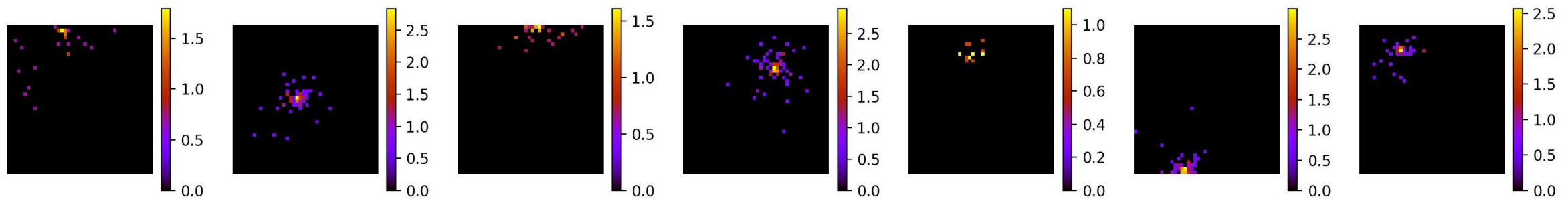
# Detectors

- Two calorimeters: Zero Degree Calorimeter (ZDC) and the hadronic section of the Forward Calorimeter (FoCal-H).
- Both detect energy deposited by passing particles as light output.
- Material: ZDC – quartz fibres, FoCal-H – copper tubes.

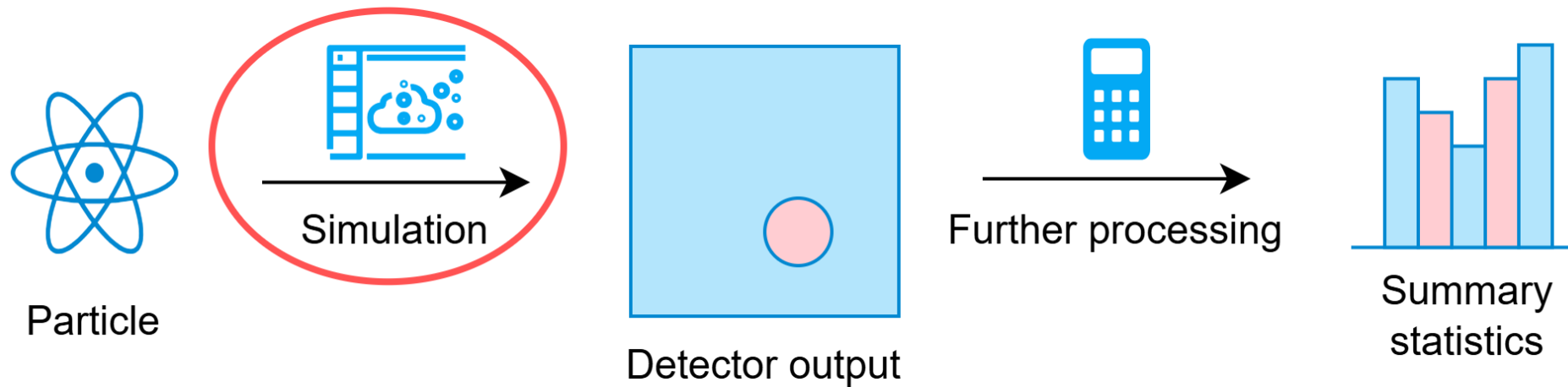


# Detector simulation

- Simulated using Monte Carlo approach.
  - Computationally expensive method!
- Each simulation begins with a primary particle with known features.
- We work with 2-D representations of detector outputs.
- Simulation of such structure is a perfect task for generative neural networks.



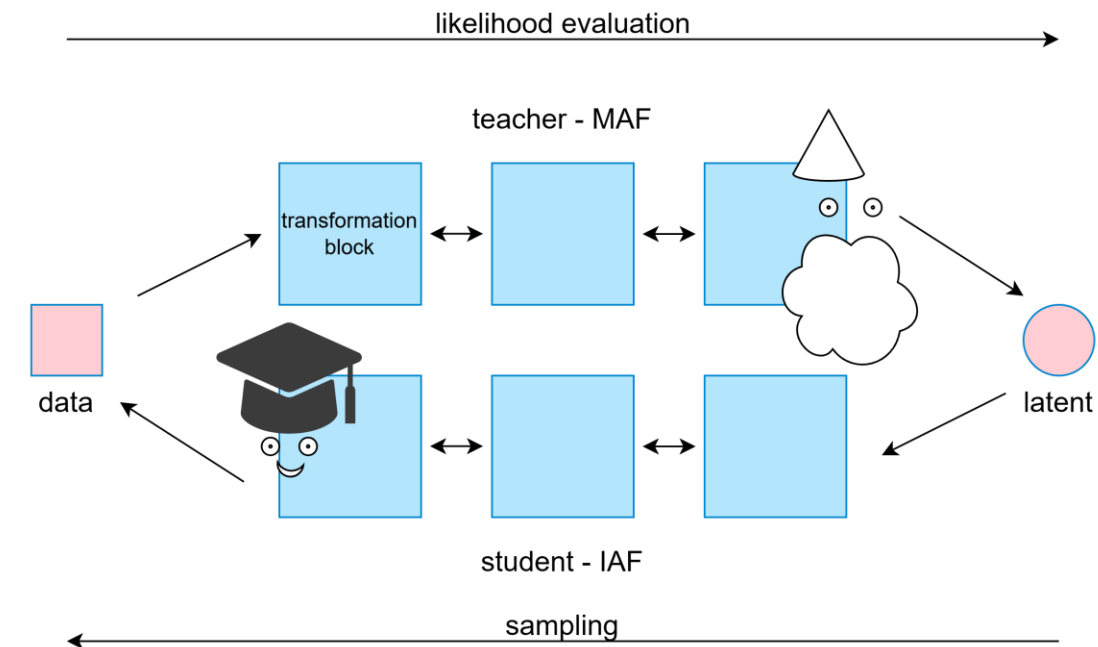
# Physics-based ZDC simulation



We combine physics-based learning and data-driven optimisation to make outputs of generative models more consistent with physics principles.

# Normalizing flows approach

- We leverage the teacher-student Normalizing Flow framework with a physics-based approach:
  - Train a Masked Autoregressive Flow (MAF) teacher - slow to sample, fast to evaluate likelihoods.
  - Train an Inverse Autoregressive Flow (IAF) student - fast to sample, mimicking the teacher's behaviour.
  - The transformations are invertible, so we can closely match student to the teacher.



# Physics-based enhancements

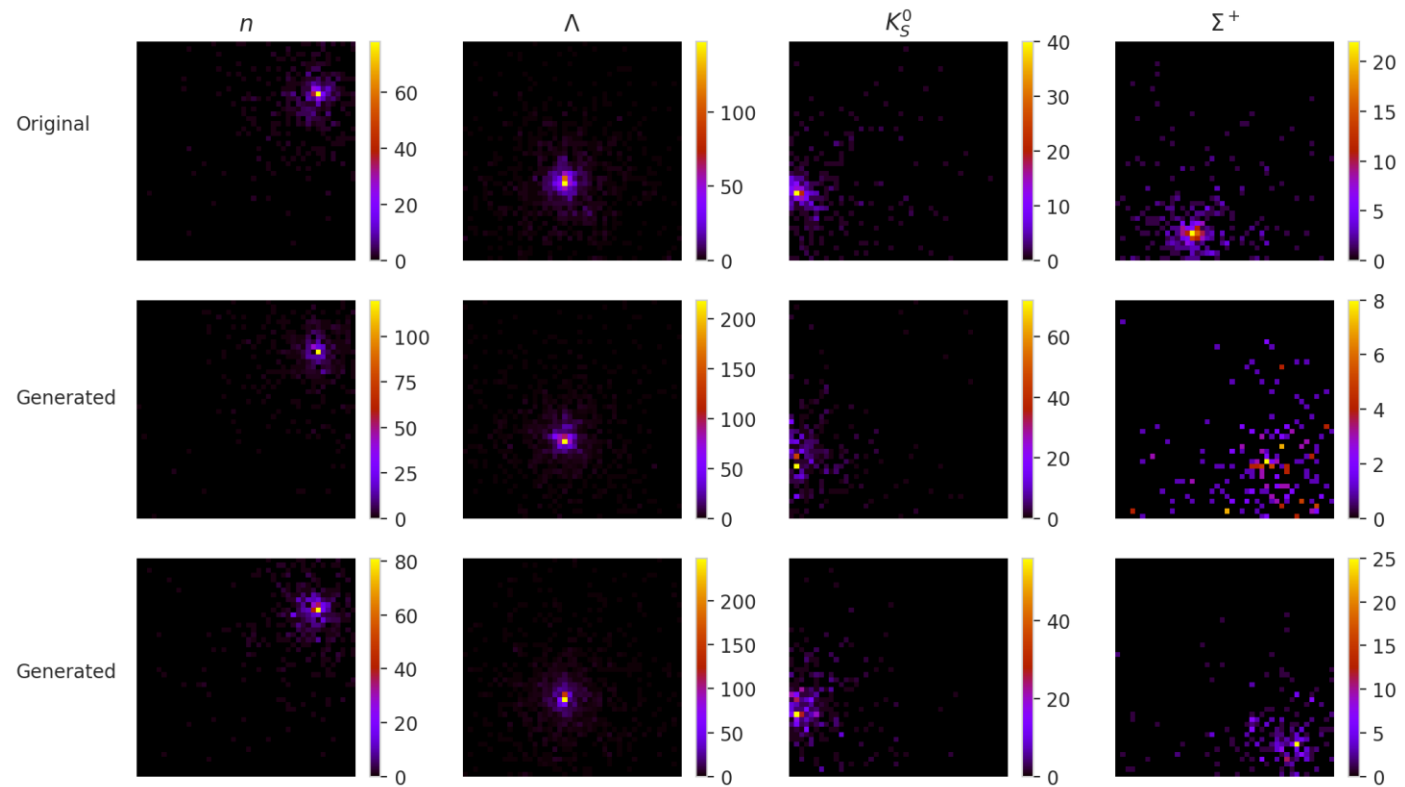
- The baseline - MSE-driven optimisation between respective outputs of transformations and in-transformation networks.
- Physics-based loss function to help with spatial features modelling.
- Physics-based loss scaler to mitigate the influence of rare artefacts on the training.

# Results

	$n$	$\Lambda$	$K_S^0$	$\Sigma^+$	all
teacher WS	$3.56 \pm 0.07$	$16.00 \pm 0.26$	$10.94 \pm 0.23$	$31.52 \pm 0.64$	$1.74 \pm 0.02$
teacher $MAE_w$	$6.11 \pm 0.06$	$9.39 \pm 0.15$	$11.41 \pm 0.20$	$23.83 \pm 0.55$	$5.17 \pm 0.03$
bs WS	<b><math>3.37 \pm 0.08</math></b>	$16.42 \pm 0.42$	$10.55 \pm 0.18$	$33.53 \pm 0.31$	$1.73 \pm 0.02$
bs $MAE_w$	$6.45 \pm 0.08$	$11.00 \pm 0.17$	$11.87 \pm 0.16$	$25.38 \pm 0.34$	$5.57 \pm 0.03$
bs+div WS	$3.45 \pm 0.05$	<b><math>16.32 \pm 0.14</math></b>	$11.02 \pm 0.25$	$33.60 \pm 0.16$	<b><math>1.62 \pm 0.02</math></b>
bs+div $MAE_w$	$6.40 \pm 0.05$	$10.56 \pm 0.24$	$12.29 \pm 0.13$	$25.75 \pm 0.33$	$5.40 \pm 0.04$
bs+ch WS	$4.24 \pm 0.05$	$16.61 \pm 0.12$	$10.86 \pm 0.21$	<b><math>31.25 \pm 0.49</math></b>	$2.00 \pm 0.02$
bs+ch $MAE_w$	$6.32 \pm 0.07$	$9.22 \pm 0.20$	$11.24 \pm 0.25$	<b><math>18.47 \pm 0.66</math></b>	$5.17 \pm 0.02$
bs+ch+div WS	$4.19 \pm 0.07$	$16.49 \pm 0.38$	<b><math>10.49 \pm 0.16</math></b>	$31.64 \pm 0.32$	$1.71 \pm 0.02$
bs+ch+div $MAE_w$	<b><math>6.20 \pm 0.04</math></b>	<b><math>8.88 \pm 0.10</math></b>	<b><math>10.75 \pm 0.20</math></b>	$19.14 \pm 0.84$	<b><math>5.00 \pm 0.02</math></b>

bs - baseline, ch - with physics-based loss, div - with physics-based loss scaler

# Example simulations



# ZDC study conclusions

- Physics-based modelling enhances generative frameworks by better capturing underlying physical dependencies.
  - Physics-based models can even outperform their purely data-driven teachers!
- Relying on distribution metrics is insufficient for assessing calorimeter fast simulation performance.

# Theory-inspired approach for FoCal

- Additional loss: distance between the simulated and expected shower center positions.
- Calculated using azimuthal angle and pseudorapidity:

$$x = z \cdot \tan \left( 2 \arctan \left( e^{-\eta} \right) \right) \cdot \cos \phi$$

$$y = z \cdot \tan \left( 2 \arctan \left( e^{-\eta} \right) \right) \cdot \sin \phi$$

- Currently under development.
  - Primary experiments showed encouraging results for some generative architectures, while not helping in other cases.



# Technological stack & hardware

- Python.
- TensorFlow, PyTorch, NumPy, scikit-learn and Uproot libraries.
- Weights & Biases platform.
- NVIDIA A100 GPU available on the Athena cluster and NVIDIA Tesla V100 on Ares.

# Conclusions and next steps

- Promising results with physics-based approach for ZDC.
- Further development of theory-inspired approach for FoCal-H.
- Other ML tasks in ALICE: exploring contrastive, multi-layer, and generative approaches for muon track matching in reconstruction.



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